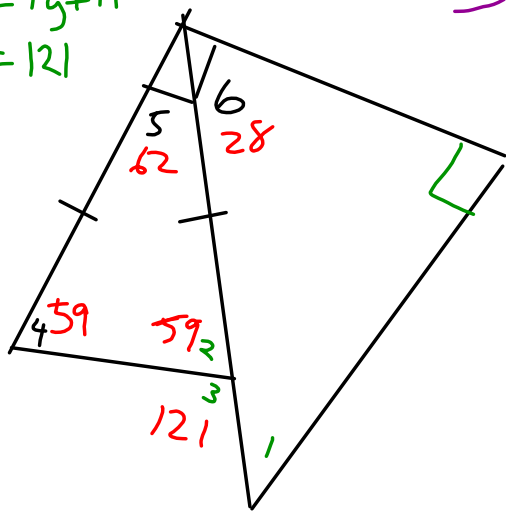


$\angle 1 = 5x + 10$
 $\angle 2 = 4y + 11$
 $\angle 3 = 121$



Solve for y and x
Find all angles

$\angle 3 = 121$
 $\angle 3 + \angle 2 = 180$
 $121 + 4y + 11 = 180$
 $y = 12$
 $\angle 2 = 4(12) + 11$
 $\angle 2 = 59$

$\angle 4 = \angle 2$

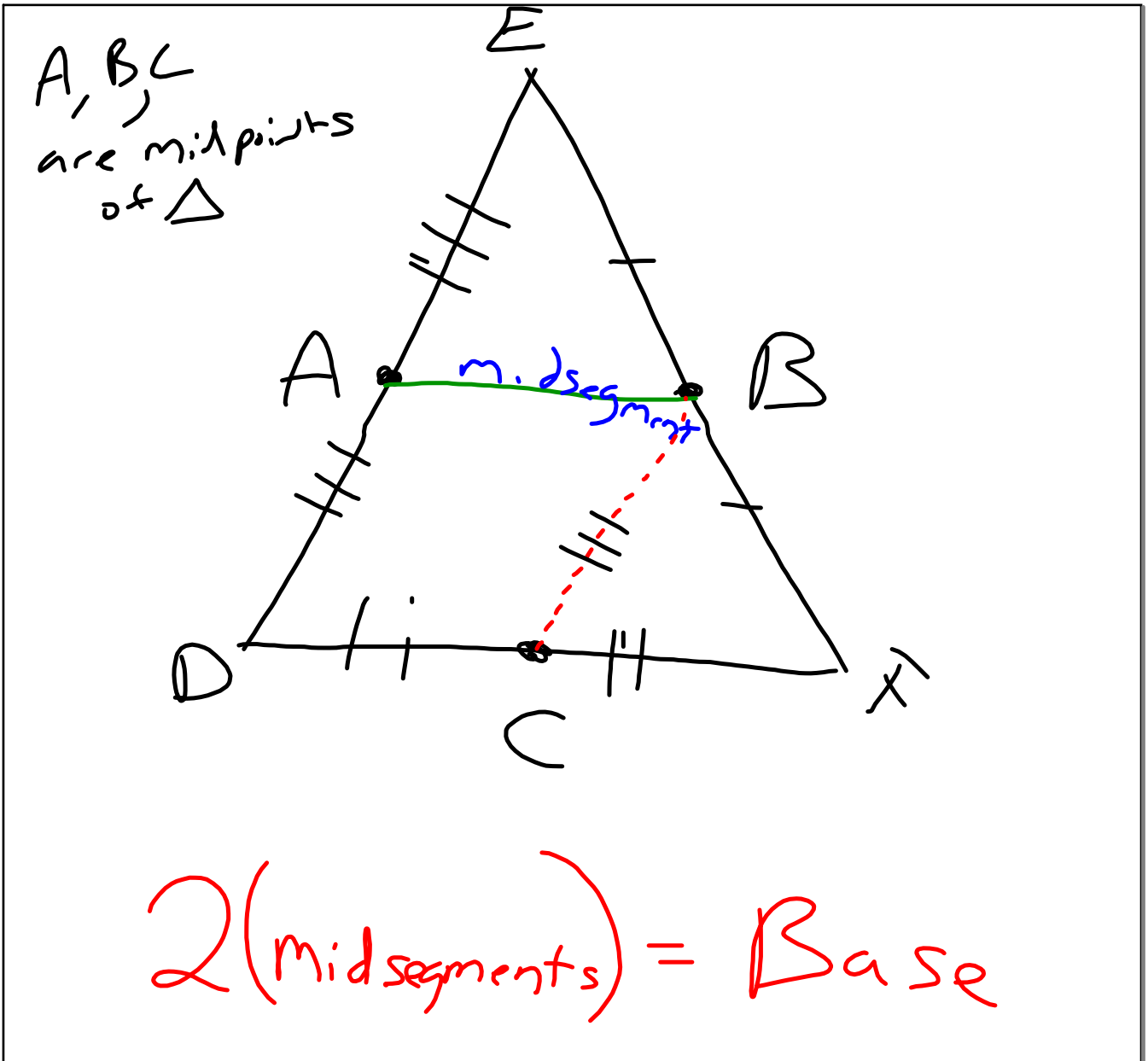
$\angle 2 + \angle 4 + \angle 5 = 180$
 $59 + 59 + \angle 5 = 180$
 $\angle 5 = 62$

$\angle 5 + \angle 6 = 90$
 $62 + \angle 6 = 90$
 $\angle 6 = 28$

$\angle 6 + \angle 1 + 90 = 180$
 $\angle 1 = 62$

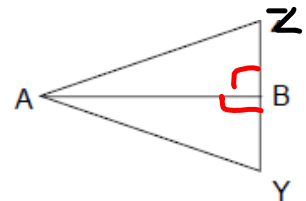
$5x + 10 = 62$
 $5x = 52$
 $x = \frac{52}{5}$

G.
 L. P.
 Subst.
 $+ - \div$ prop =
 Subst.
 simpl.
 base \angle s \triangle =
 sum int \angle s \triangle = 180
 $-$ prop =
 Defn. comp.
 Subst.
 $-$ prop =
 sum int \angle s \triangle = 180
 Subst.
 $-$ prop =
 \div prop =



EXAMPLE 3: GIVEN: $\overline{BA} \perp \overline{YZ}$; $\overline{AZ} \cong \overline{AY}$; B is the midpoint of \overline{YZ}

PROVE: $\triangle AYB \cong \triangle AZB$



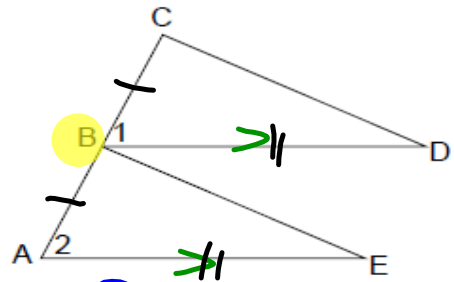
STATEMENTS	REASONS
1. $\overline{BA} \perp \overline{YZ}$	1. Given
2. $\angle YBA \cong \angle ZBA$ <i>are right angles</i>	2. Perpendicular Lines form right angles
3. $\triangle ABZ$ and $\triangle AYB$ are right triangles	3. Definition of a <u>right</u> triangle
4. B is the midpoint of \overline{YZ}	4. <u>Given</u>
5. $\overline{BZ} \cong \overline{BY}$	5. Definition of a <u>MidPoint</u>
6. $\overline{AB} \cong \overline{AB}$	6. <u>Reflexive</u>
7. $\triangle ABC \cong \triangle EDC$	7. <u>LL</u>

QUICK CHECK:

.

GIVEN: B is the midpoint of \overline{AC} ; $\overline{BD} \parallel \overline{AE}$;
 $\overline{BD} \cong \overline{AE}$

PROVE: $\triangle ABE \cong \triangle BCD$



S

S B mid \overline{AC}
 $\overline{AB} \cong \overline{BC}$

A $\overline{BD} \parallel \overline{AE}$
 $\angle 2 \cong \angle 1$

S $\overline{BD} \cong \overline{AE}$
 $\triangle ABE \cong \triangle BCD$

R

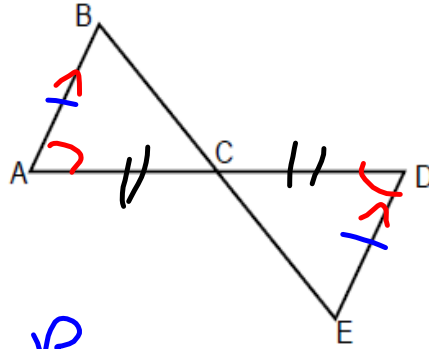
G midpoint
 G correspond
 G SAS

QUICK CHECK:

GIVEN: $\overline{BA} \cong \overline{ED}$; $\overline{BA} \parallel \overline{ED}$

C is the midpoint of \overline{AD}

PROVE: $\triangle BAC \cong \triangle EDC$



	S	R
S	$\overline{BA} \cong \overline{ED}$	G.
	$\overline{BA} \parallel \overline{ED}$	G.
A	$\angle A \cong \angle D$	alt int \angle of \parallel
	C is mid pt of AD	G.
S	$\overline{AC} \cong \overline{CD}$	def: mid pt
	$\triangle BAC \cong \triangle EDC$ Prove	SAS